

# **Arithmetic Circuits**

## **Multiplication & Arithmetic Unit for 4-bit Dual Numbers**

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## BINARY MULTIPLIERS

- A Combinational multiplier is the logic circuit which is implemented to perform multiplication.
- The multiplicand is multiplied by each bit of the multiplier starting from the least significant bit.
- Each multiplication forms a partial product, successive partial products are shifted one position to the left.
- The final product is obtained from the sum of the partial products.

## 2-bit by 2-bit Binary Multiplier:



### (i) 2-bit by 2-bit Binary Multiplier:

Consider the following multiplication of two 2-bit number

	$B_1$	$B_0$		<i>Multiplicand</i>	
	$A_1$	$A_0$		<i>Multiplier</i>	
	$A_0 B_1$	$A_0 B_0$		<i>Partial Product 1</i>	
	$A_1 B_1$	$A_1 B_0$	$X$	<i>Partial Product 2</i>	
	$P_3$	$P_2$	$P_1$	$P_0$	<i>Final Result</i>

$C_2$  (above  $A_1 B_1$ )  
 $C_1$  (above  $A_1 B_0$ )  
 $C_2$  (below  $P_3$ )  
 $C_1$  (below  $P_2$ )

$$P_0 = A_0 B_0$$

$$P_1 = A_0 B_1 + A_1 B_0$$

$$P_2 = A_1 B_1 + C_1$$

$$P_3 = C_2$$

## IMPLEMENTATION OF GATES

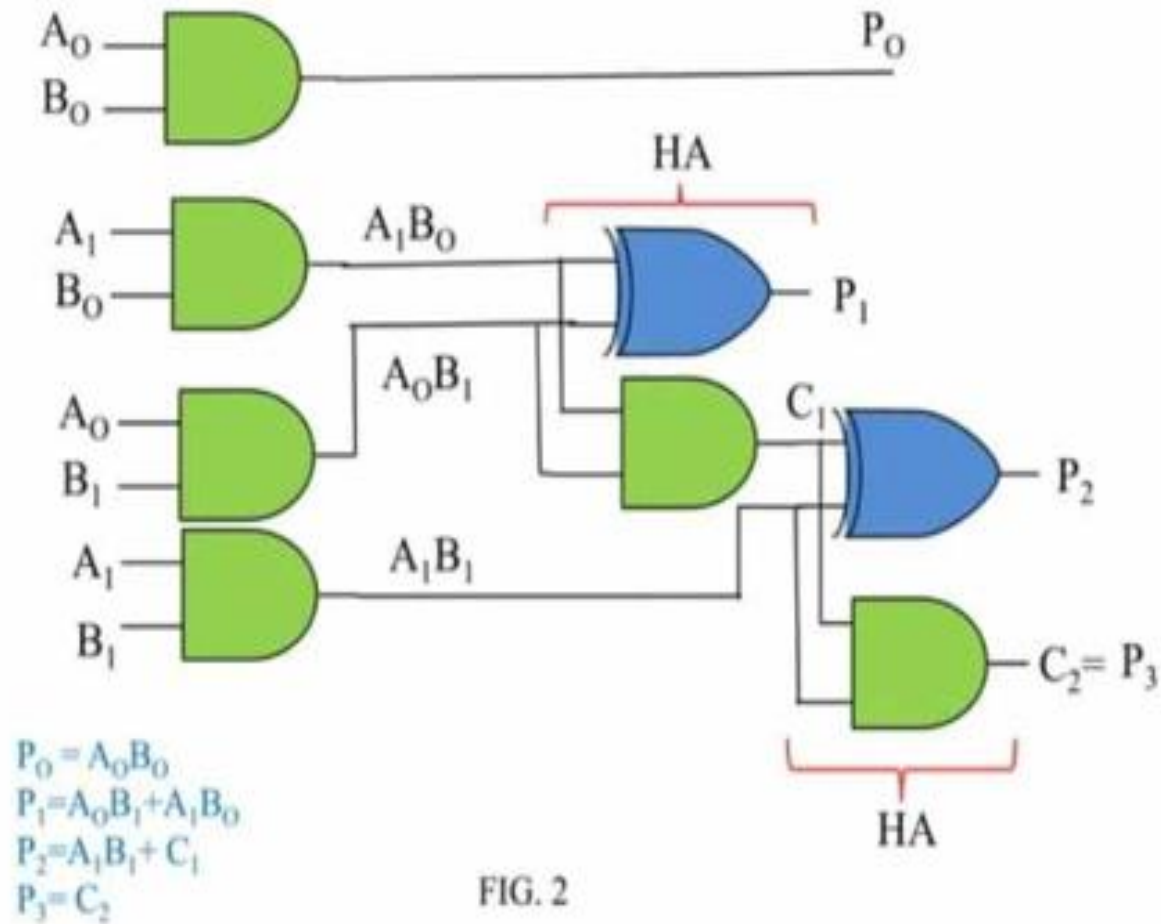
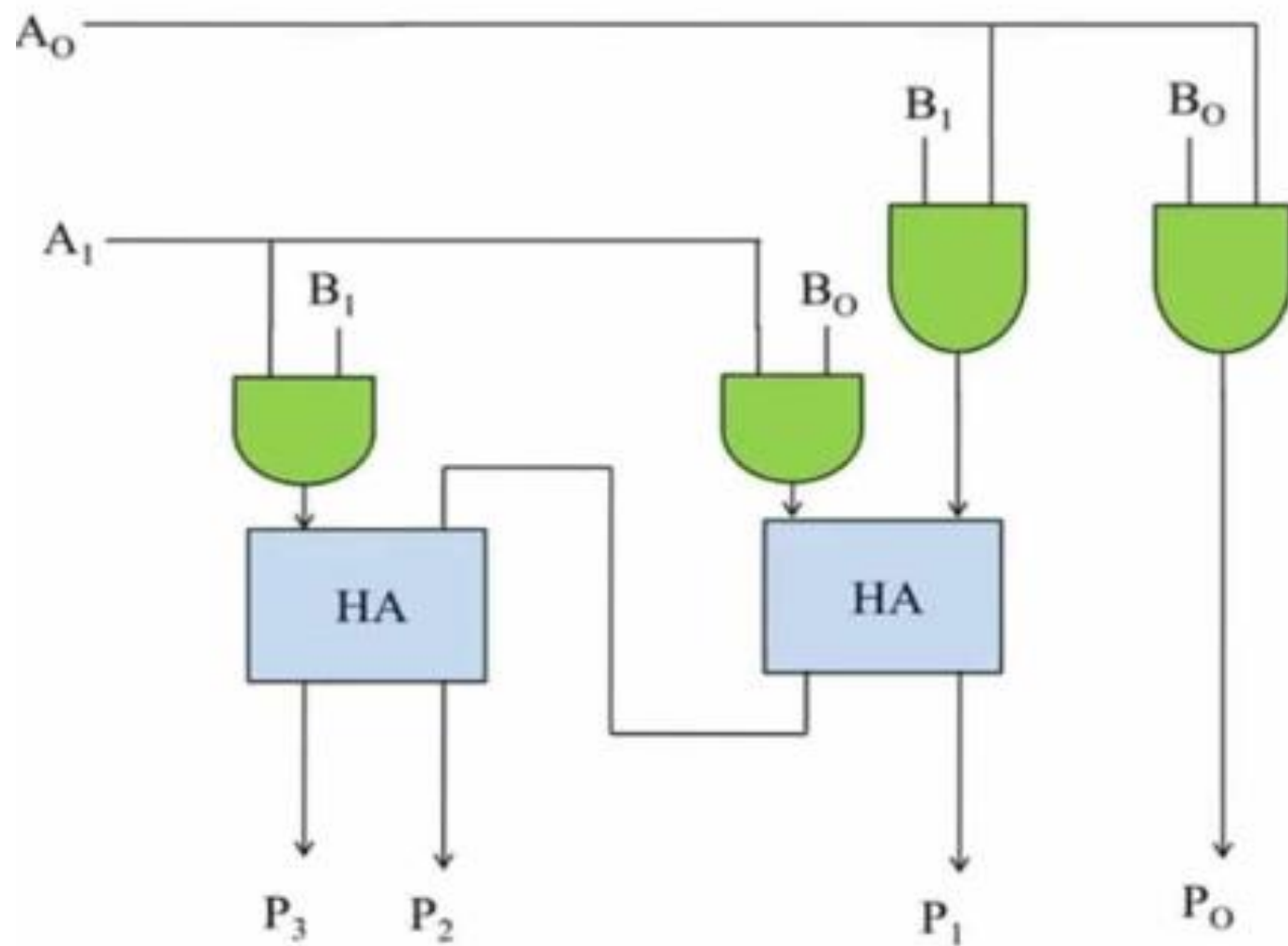
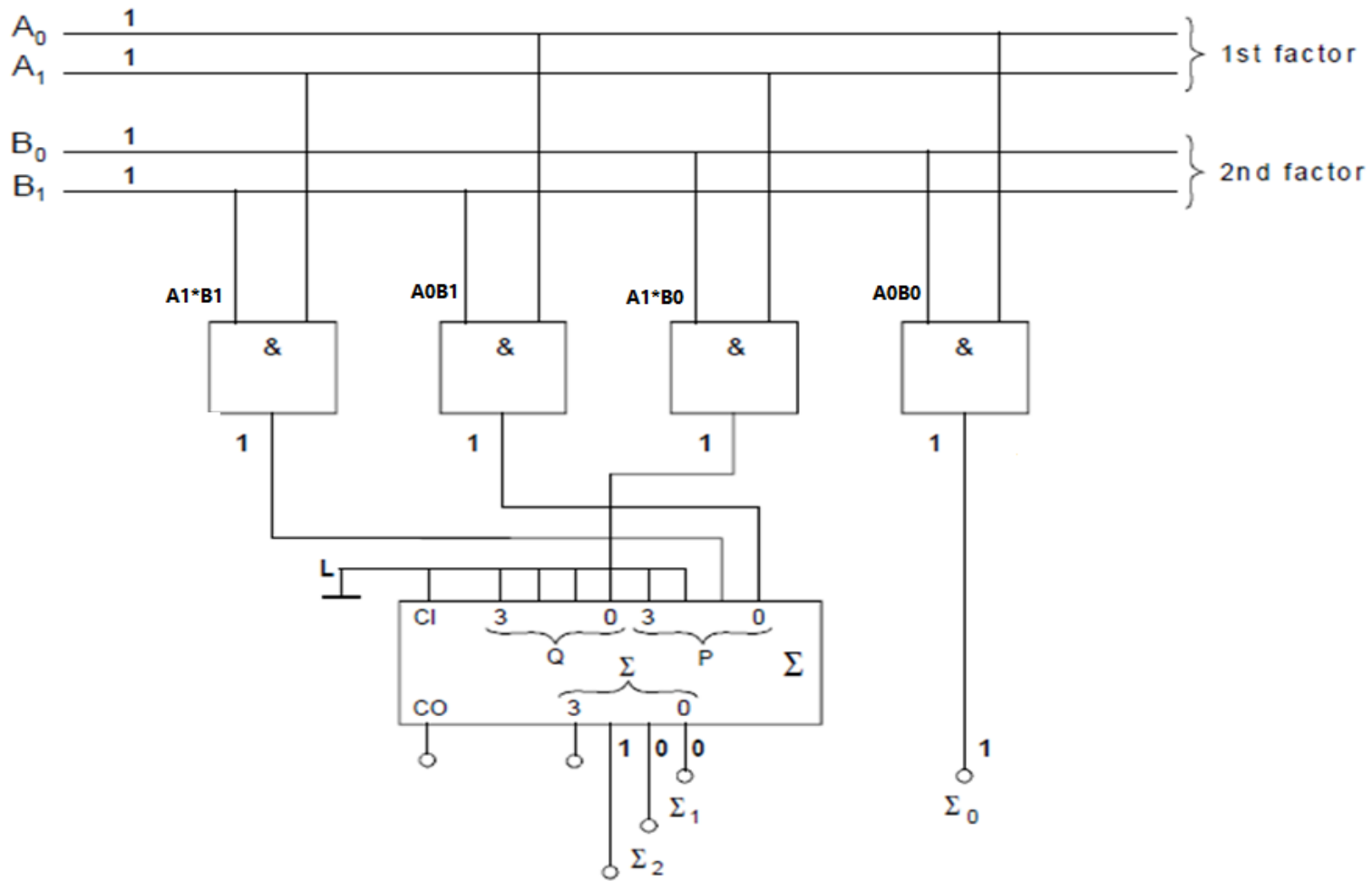


FIG. 2





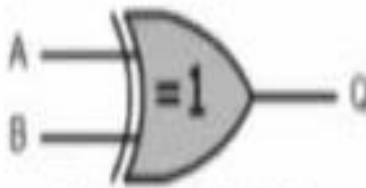
## 6.2.8 Arithmetic Unit for 4-bit Dual Numbers

The following circuit shows an arithmetic unit for linking 4-bit dual numbers.

The module D9 contains a 4-bit 1s complement.

## ❖ XOR gate operation

- If one input is high it produce invert of the other input.
- If one input is low it produce same of the other input.
- Example

Symbol	Truth Table		
 <p>2-Input Ex-OR Gate</p>	A	B	Q
	0	0	0
	0	1	1
	1	0	1
	1	1	0
Boolean Expression $Q = A \text{ XOR } B$			



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