

Phys. Lab 2

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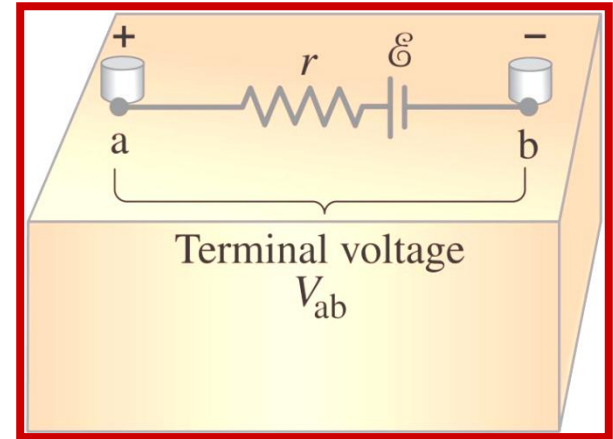
Experimental No. (4) THE POTENTIOMETER: Internal Resistance of a Test Cell

OBJECTIVE: To calibrate a one meter slide wire potentiometer using a standard cell and then to use this potentiometer to measure the emf of a test cell. The terminal voltage of the same test cell is then measured as different load resistors are connected across the test cell and these data are used to determine the internal resistance of the test cell.

EMF & Terminal Voltage

- An electric circuit needs a battery or a generator to produce current – these are called *Sources of “Electromotive Force” or EMF.*
- It is important to remember that, despite its misleading name,
EMF is a VOLTAGE source!
It is NOT a FORCE!!
- A battery is a nearly constant voltage source, but it does have a small internal resistance r , which reduces the actual voltage from the ideal EMF:

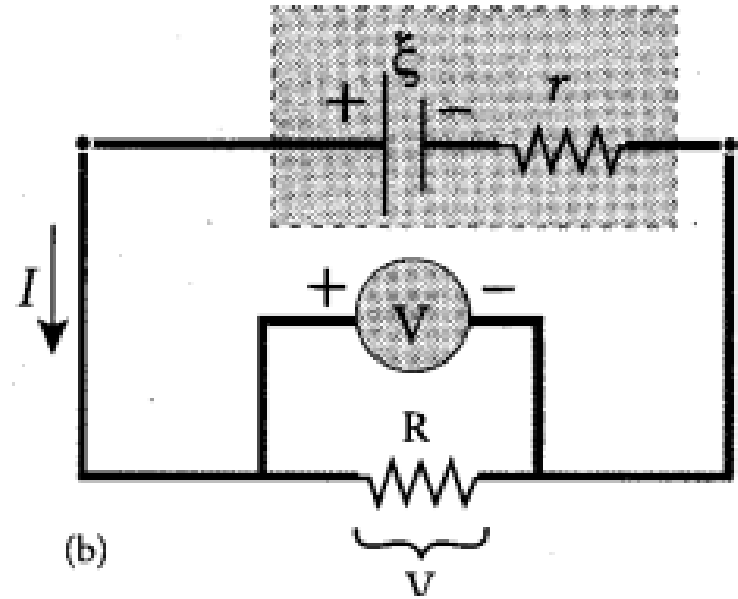
$$V_{ab} = \mathcal{E} - Ir.$$



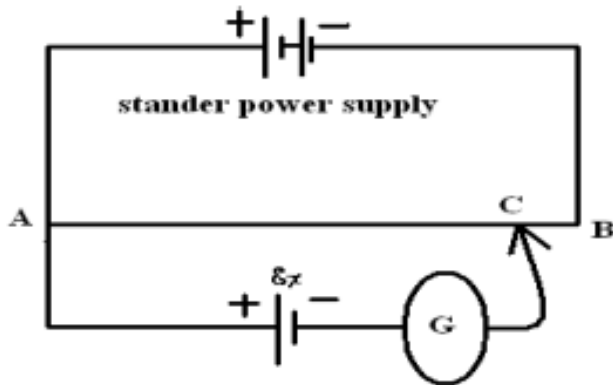
$$V = \xi - Ir$$

$$IR = \xi - Ir$$

$$I = \xi / (R + r)$$



Part I : Find ϵ_x with reference ϵ_s



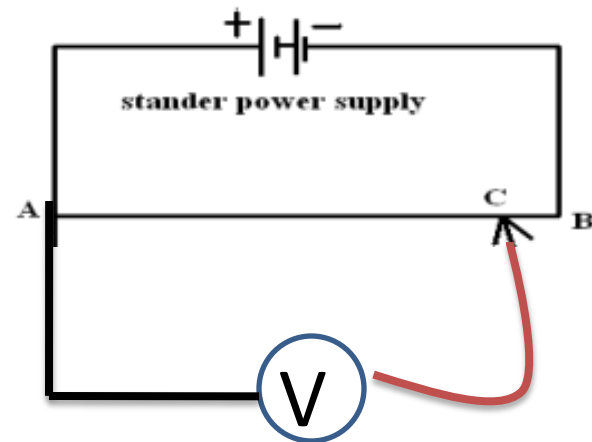
1- Calibration (How???)

5 volt

Find the calibration factor :

$$C.F = 5 \text{ Volt} / 100 \text{ cm}$$

$$C. F = 0.05 \text{ V/ cm}$$

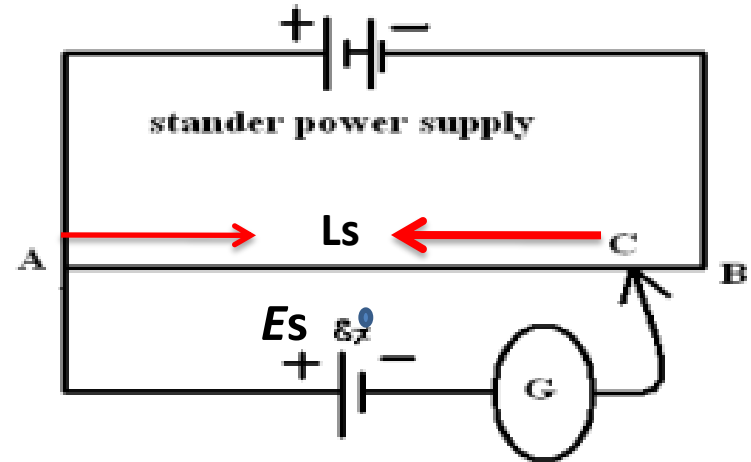


$$E_s = V_{a-c} = C.f \times L_s \text{ ----- 1}$$

Example:

$$L_s = 30 \text{ cm}$$

$$E_s = 0.05 \text{ (V/cm) } \times 30 \text{ cm} = 1.5 \text{ Volt}$$

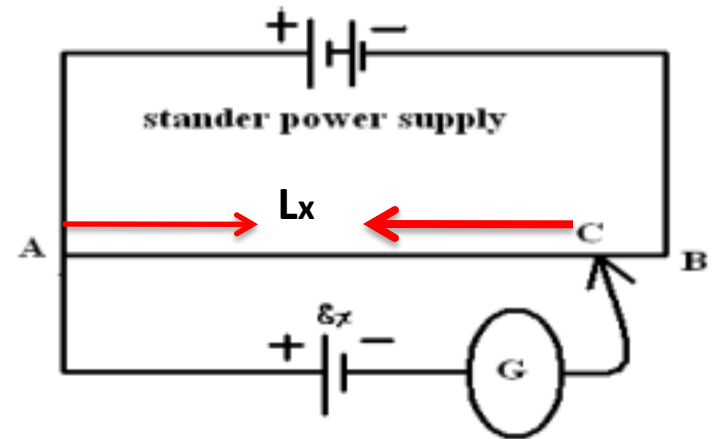


$$E_x = V_{a-c} = C.f \times L_x \text{ -----2}$$

1 divid 2

$$E_s / E_x = L_s / L_x$$

$$E_x = E_s (L_x / L_s)$$

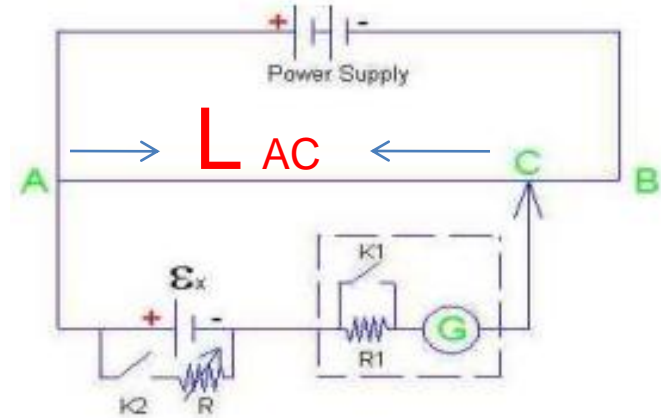


Part 2: Find E_x with variable resistor

When K1 and K2 closed

$$V = E_x - I * r_{in},$$

$$V_{a-c} = V = E_x - I * r_{in},$$



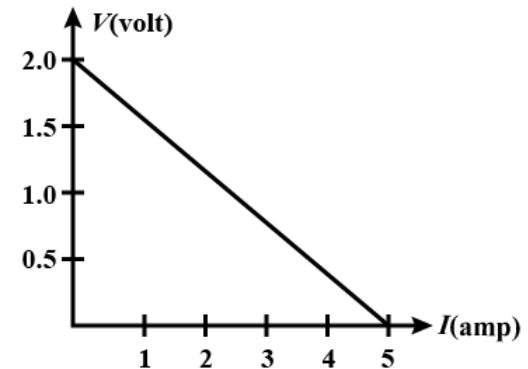
$$V_{a-c} = C.f \times L_{AC}$$

R = 15Ω	$L_{AC} = \dots\dots\dots$	$V_{AC} = \dots\dots\dots$	$I = \frac{V_{AC}}{R} \dots\dots\dots$
R =	$L_{AC} = \dots\dots\dots$	$V_{AC} = \dots\dots\dots$	$I = \frac{V_{AC}}{R} \dots\dots\dots$
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R =	$L_{AC} = \dots\dots\dots$	$V_{AC} = \dots\dots\dots$	$I = \frac{V_{AC}}{R} \dots\dots\dots$

Plot V_{AC} Vs. I.

Slope = $-r_{in}$, $r_{in} = \dots\dots\dots$

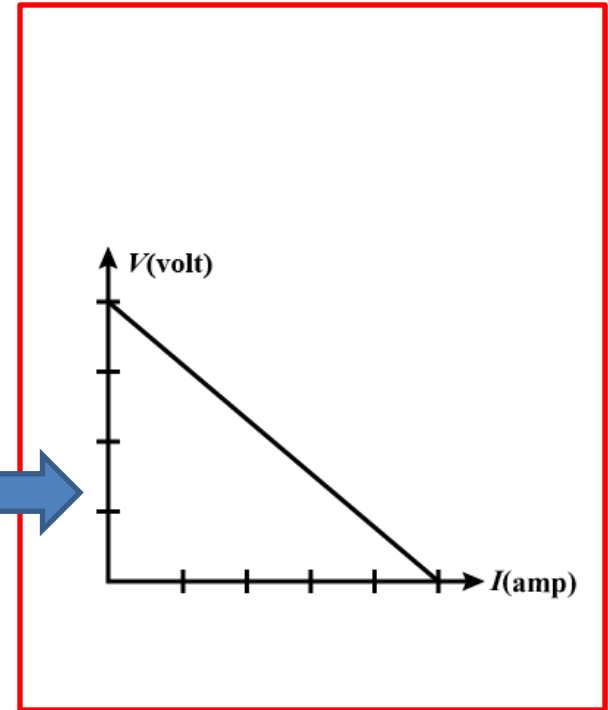
Intercept = E_x , $E_x = \dots\dots\dots$



Data of Experiment

$LX = ???$

$R(\Omega)$	$L_{AC}(cm)$	$V_{AC} = L_{AC} * f$	$I = \frac{V_{AC}}{R}$
20	38.5		
16	33		
12	31		
10	29.5		
8	27		



Sample calculation :

$$V_{ac} = C, f * L_{AC} = 0.05 \text{ V/cm} * 38.5 = 1.92 \text{ volt}$$

$$I = 1.92 / 20 = 96 \text{ mA}$$