

Lecture3

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Content

- More problems in chapter2
- Chapter3:
 - Review of the main laws
 - How to get components for different vectors
 - How to get magnitude & angle for a vector
 - Some operations on vectors

Problem 30 page 70

30. A worker drops a wrench from the top of a tower 80.0 m tall. What is the velocity when the wrench strikes the ground?

- Drops $\rightarrow V_i = 0$, $a = -g = -10 \text{ m/s}^2$.
- $\Delta x = -80\text{m}$ (going down)
- $V_f = ?$
- There is no mention to time at all \rightarrow use law (3)
- $\rightarrow V_f^2 = V_i^2 + 2 a \Delta x \dots(3)$
- $V_f^2 = (0)^2 + 2 (-10) (-80)$
- $V_f^2 = 1600 \rightarrow V_f = 40 \text{ m/s}$
- Because it is going down $\rightarrow V_f = -40 \text{ m/s}$

Problem 40 page 71

40. A small fish is dropped by a pelican that is rising steadily at 0.50 m/s.

a. After 2.5 s, what is the velocity of the fish?

b. How far below the pelican is the fish after 2.5 s?

- Rising steadily $\rightarrow V_i = +0.5 \text{ m/s}$, $a = -g = -10 \text{ m/s}^2$.
- $T = 2.5 \text{ s}$, $V_f = ?$
- $V_f = V_i + a t \dots(1)$
- $\rightarrow V_f = 0.5 + (-10)(2.5)$
- $V_f = -24.5 \text{ m/s}$

- Part (b) is not needed

Problem 46 page 72

46. A parachutist descending at a speed of 10.0 m/s loses a shoe at an altitude of 50.0 m.

- a.** When does the shoe reach the ground?
- b.** What is the velocity of the shoe just before it hits the ground?

- descending $\rightarrow V_i = -10 \text{ m/s}$, $a = -g = -10 \text{ m/s}^2$.
- $\Delta x = -50 \text{ m}$ (going down),
- $t = ?$, $V_f = ?$
- Use law (3) to find V_f first
- $V_f^2 = V_i^2 + 2 a \Delta x \dots(3)$
- $V_f^2 = (-10)^2 + 2 (-10) (-50)$
- $V_f^2 = 1100$
- $V_f = 33.2 \rightarrow V_f = -33.2 \text{ m/s}$ (going down)
- $V_f = V_i + a t \dots(1)$
- $\rightarrow -33.2 = -10 + (-10) (t)$
- $-23.2 = -10 t \rightarrow t = 2.32 \text{ s}$

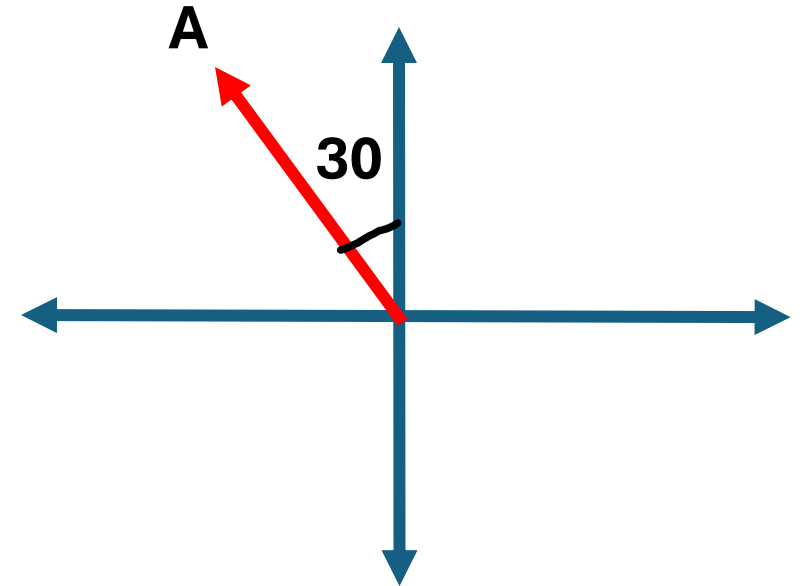
Chapter3

Vectors & scalars

- Scalars (كميات قياسية): quantities with magnitude only.
- (scalars has no direction)
- Examples: temperature, speed ...
- Vectors (كميات متجهة): quantities with magnitude and direction.
- Examples: velocity, force ...
- Vectors have both magnitude (مقدار) and direction (اتجاه)
- Example: a plane is flying 600 m/s north

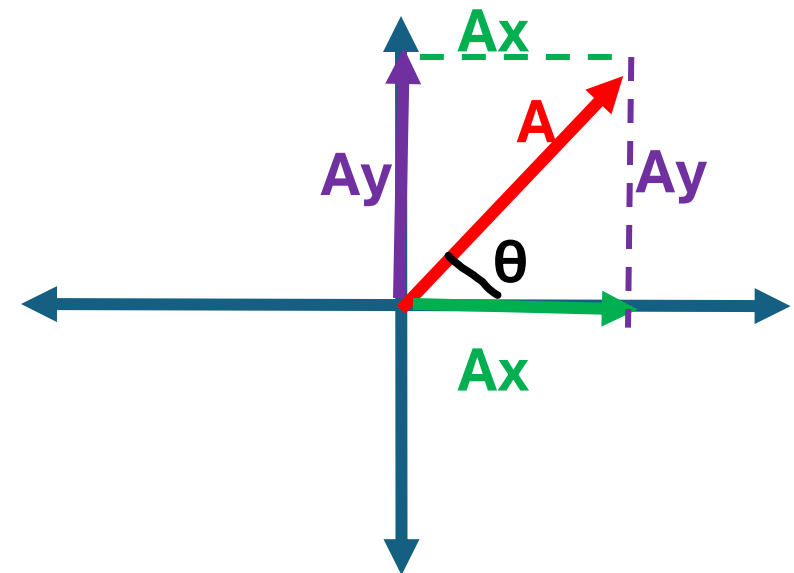
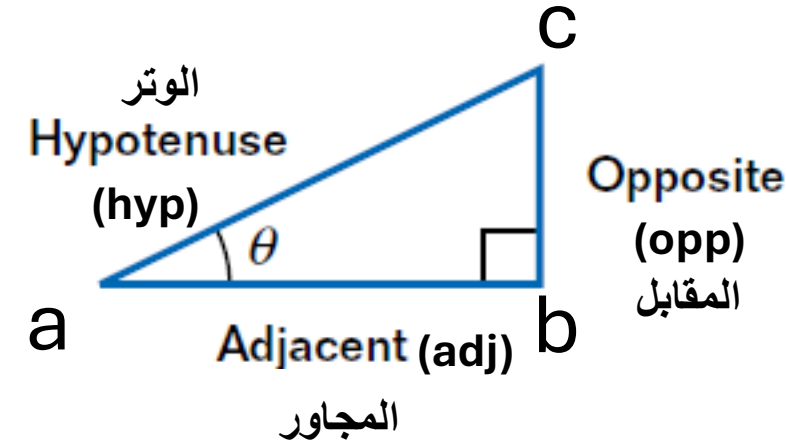
Vectors

- Different ways to represent vectors:
 - Magnitude and direction (angle)
 - Vector components
- Example: vector A in the figure has magnitude 10 and direction 30° west of north
- Represent A as components (مركبات) in x axis and y axis



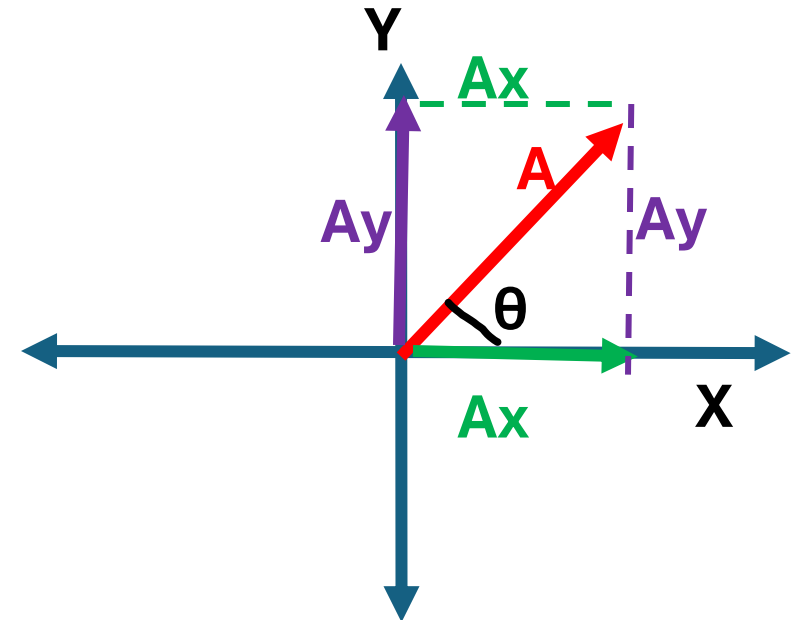
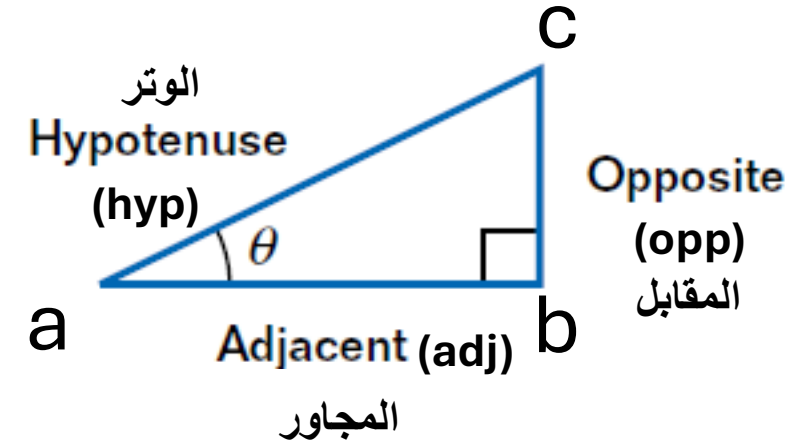
Vectors

- Represent A as components (مركبات) in x axis and y axis
- According to trigonometry (علم المثلثات):
- $\cos \theta = \text{adj}/\text{hyp} = \text{المجاور}/\text{الوتر}$
- $\sin \theta = \text{opp}/\text{hyp} = \text{المقابل}/\text{الوتر}$
- $\tan \theta = \text{opp}/\text{adj} = \text{المجاور}/\text{المقابل}$
- According to Pythagorean theorem:
- $(\text{Hyp})^2 = (\text{opp})^2 + (\text{adj})^2$.
- $(\text{الوتر})^2 = (\text{المقابل})^2 + (\text{المجاور})^2$.
- The opp and adj represent the components



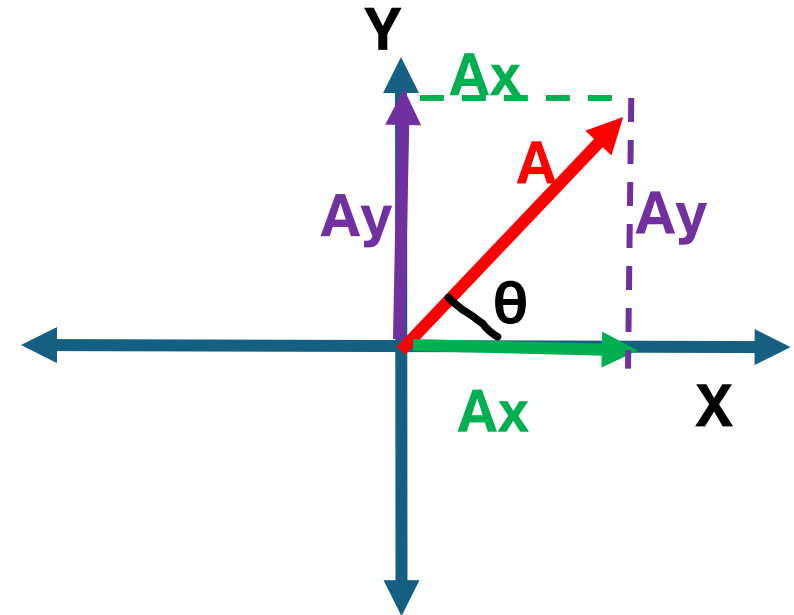
Vectors

- Represent A as components (مركبات) in x axis and y axis (A_x and A_y)
- The opp and adj represent the components
- If you have (θ) you can find:
- $\sin \theta$, $\cos \theta$, $\tan \theta$ using the calculator
- Using trigonometry, you can find A_x and A_y
- Need to be careful with directions



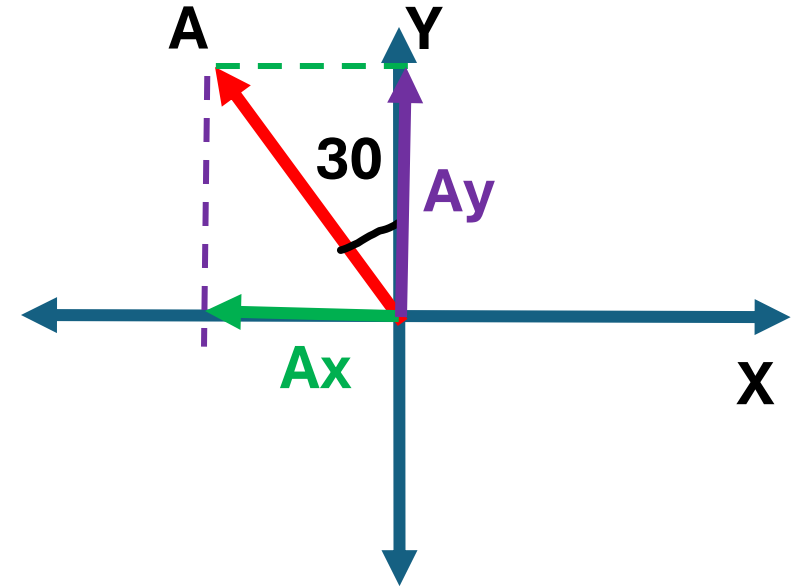
Vectors

- If $|A| = 10$, $\theta = 30$
- $A_x = |A| \cos \theta$
- $A_x = |A| \cos 30 = 10 \times 0.866 = 8.66$
- $A_y = A \sin \theta$
- $A_y = |A| \sin 30 = 10 (0.5) = 5$



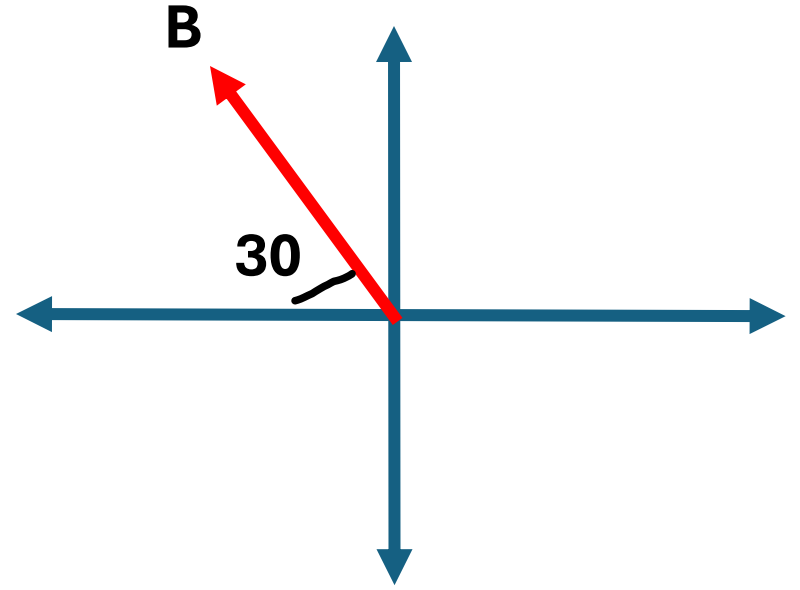
example

- If $|A| = 10$
- $A_x = -|A| \sin 30 = -10 \times 0.5 = -5$
- $A_y = |A| \cos 30 = 10 (0.866) = 8.66$



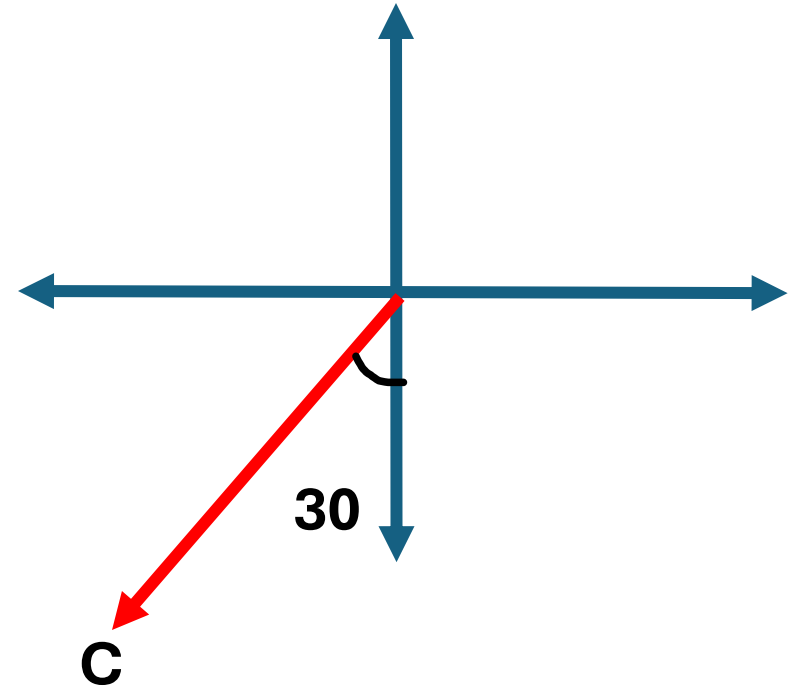
example

- If $|B| = 10$
- $B_x = -|B| \cos 30 = -8.66$
- $B_y = |B| \sin 30 = 5$



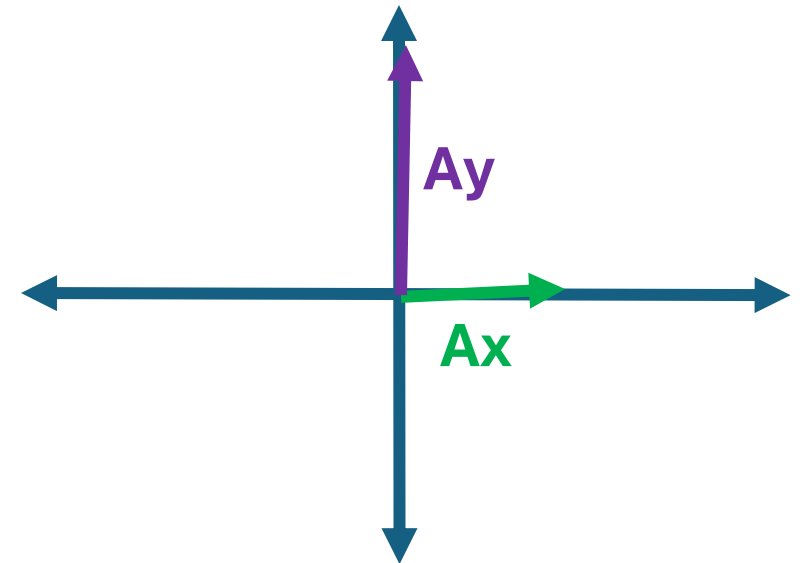
example

- If $|C| = 10$
- $C_x = -|C| \sin 30 = -5$
- $C_y = -|C| \cos 30 = -8.66$



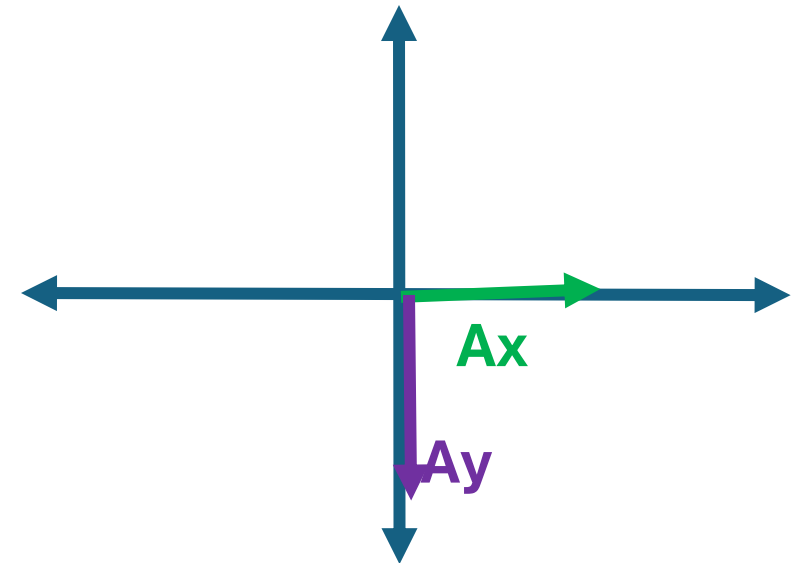
example

- If $A = 6i + 8j$
- $A_x = 6$
- $A_y = 8$
- $|A| = [A_x^2 + A_y^2]^{1/2}$
- $|A| = [6^2 + 8^2]^{1/2} = 10$
- $\text{Theta} = \tan^{-1} [y/x] = \tan^{-1} [8/6]$
- $\text{Theta} = \tan^{-1} [1.3333] \rightarrow \text{theta} = 53$
- $\text{Theta} = 53$



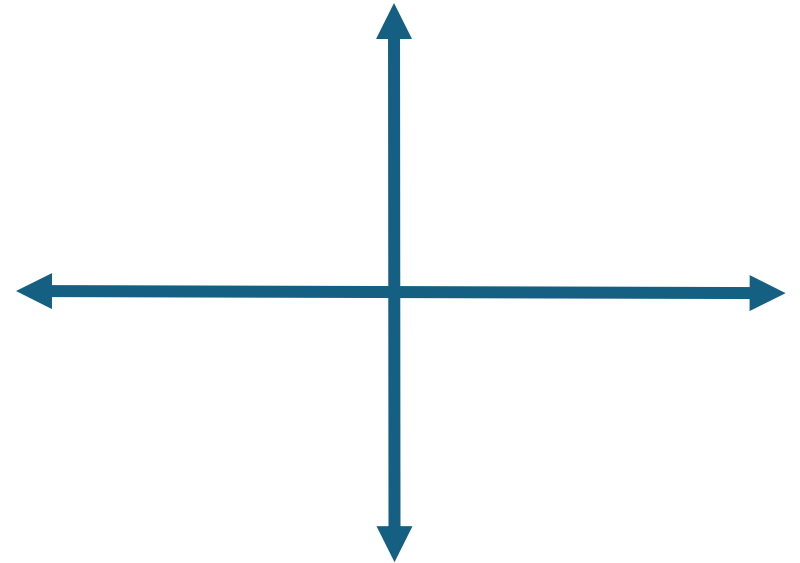
example

- If $A = 6i - 8j$
- $A_x = 6$
- $A_y = -8$
- $|A| = [A_x^2 + A_y^2]^{1/2}$
- $|A| = [6^2 + -8^2]^{1/2} = 10$
- $\text{Theta} = \tan^{-1} [y/x] = \tan^{-1} [-8/6]$
- $\text{Theta} = \tan^{-1} [-1.3333333]$
- $\text{Theta} = -53$



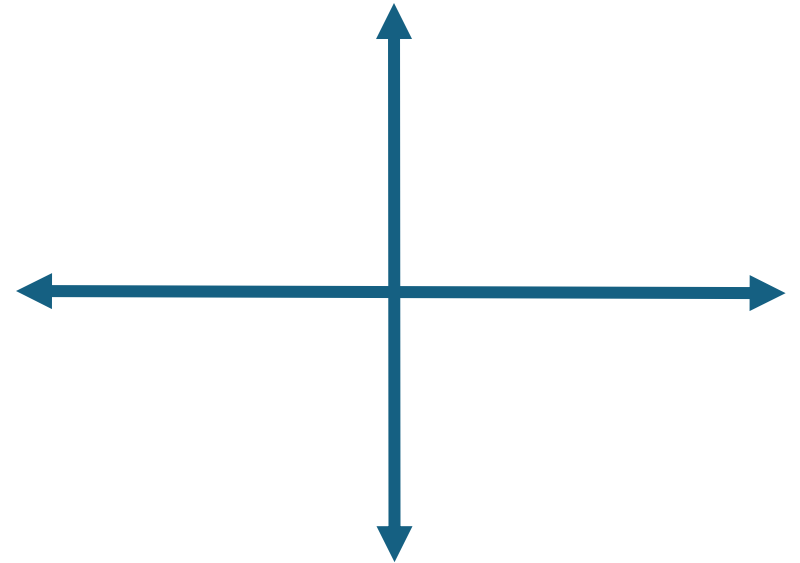
example

- If $A = 6i - 8j$, $B = -2i + 3j$
- What is $C = A + B$?
- $A_x = 6$, $A_y = -8$
- $B_x = -2$, $B_y = 3$
- $C = A + B = [(6) + (-2)]i + [(-8) + (3)]j$
- $C = 4i + -5j$



example

- If $A = 6i - 8j$, $B = -2i + 3j$
- What is $D = A - B$?
- $A_x = 6$, $A_y = -8$
- $B_x = -2$, $B_y = 3$
- $D = A - B = [(6) - (-2)]i + [(-8) - (3)]j$
- $D = 8i + -11j$



example

- If $A = 6i - 8j$, $B = -2i + 3j$
- What is $E = 2A - 3B$?
- $2A = 2(6i - 8j) = 12i - 16j$
- $3B = 3(-2i + 3j) = -6i + 9j$
- $E = 2A - 3B = (12i - 16j) - (-6i + 9j)$
- $E = (12 - (-6))i + (-16 - 9)j$
- $E = 18i + -25j$

