

Exp. No. 2

Vectors

Name: Grade:

Student's No.: Day and Date:

Partners Names: Sec.:

Data:

(1) Use the force table to find the resultant R of two vector forces and fill the table below

Method	$ F_1 $	$ F_2 $	θ_1	θ_2	F_x	F_y	$ R $	ϕ_R	Error% In R
Force Table									
Calculation									
Components									
Graphically									

(2) Calculation:

Compute the resultant R (magnitude and direction) by direct calculation:

$$R = \sqrt{\quad} = \dots$$

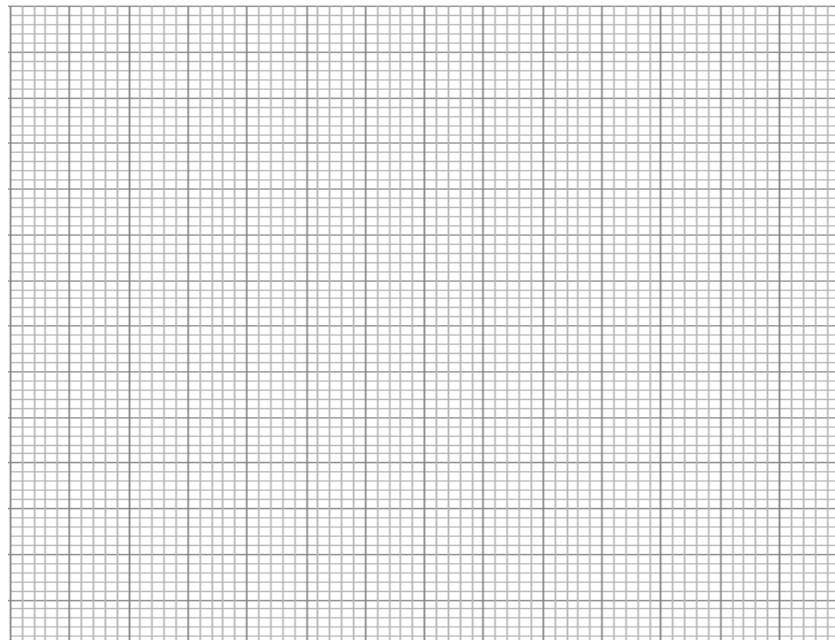
$$\phi' = \tan^{-1} \frac{\text{_____}}{\text{_____}} = \dots , \phi = \dots$$

(3) Find R graphically (triangle method) using graph paper.

From your drawing,
determine:

$$R = \dots$$

$$\phi = \dots$$



(4) **Method of components:** Compute \mathbf{R} by the method of components

$$F_x = \dots$$

$$F_y = \dots$$

$$R = \dots$$

$$\phi = \tan^{-1} \left(\frac{\text{---}}{\text{---}} \right) =$$

(5) Find the percentage error P.E. for each case above.

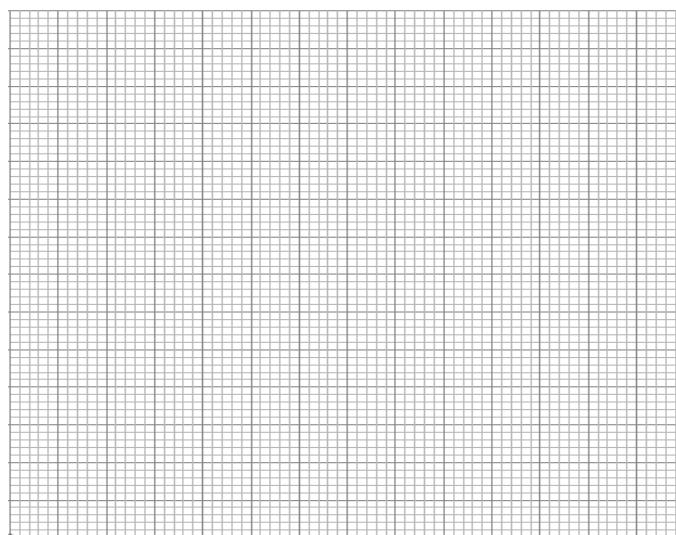
$$PE = \frac{| \text{measured value} - \text{true value} |}{\text{true value}} \times 100\% \text{ (the true value of } R \text{ is calculated in 1)}$$

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(6) Add the following two vectors: $\vec{u} = 1\hat{i} + 2\hat{j}$, $\vec{v} = 2\hat{i} - 5\hat{j}$

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(7) Draw the two vectors described above and add them graphically (i.e. find the resultant)



(8) Split the 3 vectors drawn below into the two given (x,y) components and add them up.

$$\mathbf{A}_x = \dots$$

$$\mathbf{A}_y = \dots$$

$$\mathbf{B}_x = \dots$$

$$\mathbf{B}_y = \dots$$

$$\mathbf{C}_x = \dots$$

$$\mathbf{C}_y = \dots$$

$$\mathbf{R}_x = \dots$$

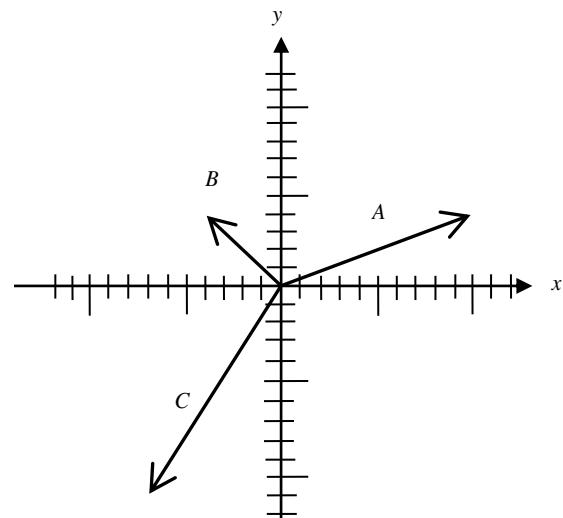
$$\mathbf{R}_y = \dots$$

$$\vec{A} = (\quad) \hat{i} + (\quad) \hat{j},$$

$$\vec{B} = (\quad) \hat{i} + (\quad) \hat{j}$$

$$\vec{C} = (\quad) \hat{i} + (\quad) \hat{j}$$

$$\vec{R} = (\quad) \hat{i} + (\quad) \hat{j}$$



(9) In the adjacent Fig. the forces are in equilibrium $\mathbf{F}_1 = 80\text{g dyn}$ and $\mathbf{F}_2 = 60\text{g dyn}$. Determine the resultant vector sum \mathbf{R} of and its direction.

